

		Linear Algebra						
Course Code:	Math-222	Semester:	3rd					
Credit Hours:	3+0	Prerequisite Codes:	None					
Instructor:	Mr. Saeed Afzal	Class:	BSCS-12A	BSCS-12ABC				
Office:	304	Telephone:						
Lecture Days:	Monday, Tuesday, Thursday	E-mail:	Saeed.afzal@seecs.edu.pk					
Class Room:	20,21	Consulting Hours:	Wednesday 9:00am-12:00pm,2:30pm- 4:00pm,Friday 9:00am-12:00pm					
Lab Engineer:		Lab Engineer Email:	•	· ·	· · ·			
Knowledge Group	: Linear Algebra	Updates on LMS:	After ever	ry lecture				
Course Descripti	ion:							
	tion and integration to p	uter graphics, control theo practical problems.	ry, and res					
which are e	extensively studied for e	ar system of equations an example in resonance and version and version and version and version and version and v			value problem			
-	Outcomes (CLOs):				*			
At the end of the	e course the students wi			PLO				
At the end of the CLO1: Sol	e course the students wi ve the system of linear ec	quations using matrices and		nts. 3	C-3			
At the end of the CLO1: Sol	e course the students wi ve the system of linear ec cplain concept of ve			nts. 3				
At the end of the CLO1: Sol CLO2: Ex applicatio CLO3: Ap	e course the students wi ve the system of lineared cplain concept of ve ons.	quations using matrices and	nsformatio	nts. 3 ns and 1	C-3			
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		To be filled in at the end of the course.							
	Assessments/CLOs		CLO1	CLO2	CLO3	CLO4]		
(Quizze	s: 10%							
	Assign	ments: 10%							
L'	Mid Te	rm: 30%							
_		mester Exam:50%					_		
Ľ	Total :	100 %							
Books:									
Text B	Book:	 Advanced Engineering Mathematics, (9 	th Edition) by Erwin	Kreyszig, J	John Wiley	and		
		Sons, inc 2006							
Refer		• Introductory Linear Algebra (7 th Edition) by B. Kolman, David R Hill Pearson							
Bo	ooks:	Education (Singapore) 2003.							
		 Introduction to Linear Algebra with approximation 	Introduction to Linear Algebra with applications by Daniel Gagliardi and Jim						
		DeFranza .							
		• Linear algebra with modern introduction	on by Davi	d Poole.					
		• Linear Algebra with Applications (6th E	dition) by	Gareth W	illiams, Jon	nes and Bar	tlett		
		2008.							
		 Linear Algebra with applications by Steven J Leon. 							
		 Modern Engineering Mathematics by Glyn James. 							
Lectur	e Brea	kdown:							
		Торіс							
Wee	ek 1	Introduction to Matrices: Addition, multiplication, Special Matrices and applications.							
Wee	ek 2	Linear System of Equations, Gauss Elimination, Row Echelon Form with application.							
Wee	ek 3	Solutions of Linear Systems: Existence, Uniqueness. Homogeneous and non- homogeneous Equations							
We	ek 4	Determinants and Crammer's Rule, Inverse of a Matrix, Gauss-Jordan Elimination, Determinant of Matrix Product.							
Wei	ek 5	Linear Systems: LU – Factorization, Solution of Linear Systems by LU-							
		Factorization.							
Wee	ek 6	Applications of matrix algebra in computer science, Introduction of Vector space							
Wee	ek 7	Rank of a Matrix, Linear Dependence & Independence, Subspaces, Basis and Dimension.							
Wee	ek 8	Eigenvalues and Eigen Vectors. Applications of Eigenvalues and Eigen Vectors.							
	ek 9	Mid Term							
Wee	ek 10	Symmetric, Skew Symmetric and Orthogonal Matrices.							
Wee	ek 11	Eigen-bases. Diagonalization. Quadratic Form							
Wee	ek 12	Complex Matrices and Forms: Hermitian, Skew-Hermitian and unitary matrices.							
Wee	ek 13	Linear Transformation and Matrices							



Week 14	The K	Kernel and Range of Linear Transformation					
		ctors, Vector Operations and Visualizing R3 with applications. Inner Product					
Week 15		Spaces, norm of a vector					
	1	Inner Product Spaces, norm of a vector ,orthogonal vectors and inner product on					
Week 16		east Square Curves.					
Week 17							
Week 17	ESE	Least Square Curves.					
WEEK 10	ESE						
Tools / Softv	ware Re	equirement:					
Matlab	could l	be used for calculations.					
Grading Poli	cy:						
Quiz F	Policy:	The quizzes will be unannounced and normally last for ten minutes. The qui framed is to test the concepts involved in last few lectures. Number of quizze will be used for evaluation is at the instructor's discretion. Creding for quizze	s that				
		will be used for evaluation is at the instructor's discretion. Grading for quizze be on a fixed scale of 0 to 10. A score of 10 indicates an exceptional at	tempt				
		towards the answer and a score of 1 indicates your answer is entirely wrong be	ut you				
		made a reasonable effort towards the solution. Scores in between indicate	e very				
		good (8-9), good (6-7), satisfactory (4-5), and poor (2-3) attempt. Failure to make a					
		reasonable effort to answer a question scores a 0.					
Assigr	nment	In order to develop comprehensive understanding of the subject, assignmen	ts will				
F	Policy:	be given. Late assignments will not be accepted / graded. All assignments will count					
		towards the total (No 'best-of' policy). The students are advised to do the					
		assignment themselves. Copying of assignments is highly discouraged and violations					
		will be dealt with severely by referring any occurrences to the disciplinary					
		committee. The questions in the assignment are meant to be challenging to give					
		students confidence and extensive knowledge about the subject matter and enable					
		them to prepare for the exams.					
Plagia	arism:	SEECS maintains a zero tolerance policy towards plagiarism. While collaborat	ion in				
-		this course is highly encouraged, you must ensure that you do not claim other					
		people's work/ ideas as your own. Plagiarism occurs when the words,	ideas,				
		assertions, theories, figures, images, programming codes of others are presented as					
		your own work. You must cite and acknowledge all sources of information in your					
		assignments. Failing to comply with the SEECS plagiarism policy will lead to strict					
		penalties including zero marks in assignments and referral to the aca coordination office for disciplinary action.					
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